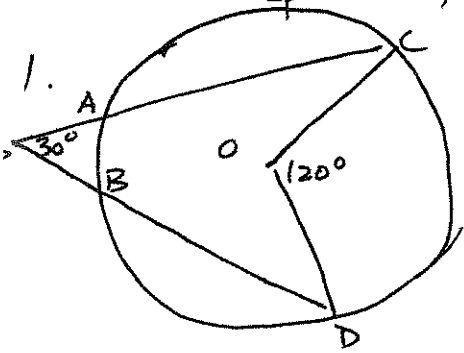
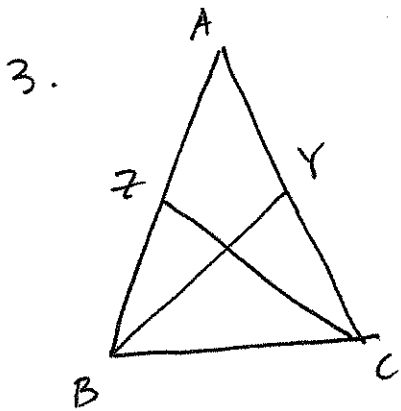


O is always the center of a circle.
Hand in six solutions.

Find \widehat{AB} .



2. A regular hexagon is inscribed in a unit circle.
Find its perimeter.

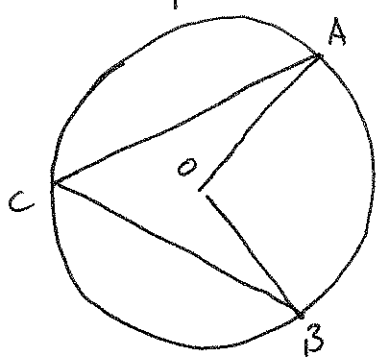


Assume $\triangle ABC$ is isosceles with base BC , and that CZ and BY are altitudes.
Prove $BY = zC$.

4. In quadrilateral $ABCD$ suppose that $AB = CD$ and $AB \parallel CD$. Prove $ABCD$ is a parallelogram.

5. Let P be a point exterior to a circle centered at point O , and draw the two tangents to the circle from P . Let S and T be the two points of tangency. Show that OP bisects $\angle SPT$ and $PS = PT$.

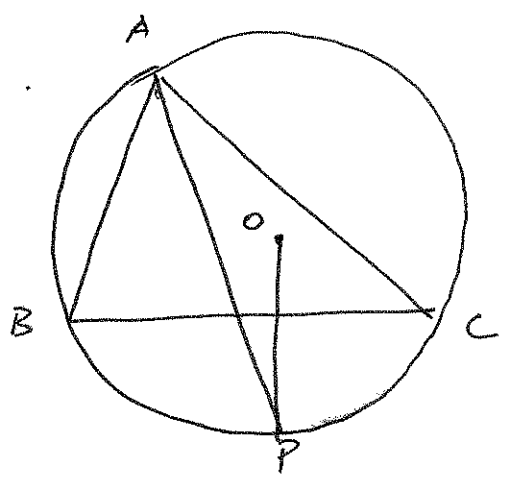
6.



Prove (as proved in class)
that $\angle AOB = 2\angle ACB$.

(Here O is the center)

7.



O is the center, and \overline{AP} is
the angle bisector of $\angle BAC$.
Prove that $OP \perp BC$.