## Notes on Exam 1, Math 544, Summer 2007

1. Exam 1 covers $1.1-1.3,1.5,1.6$ and 1.7.
2. Be able to define "linearly independent" and "non-singular".
3. Be able to state the Theorem about the linear dependence of $m$ vectors in $\mathbb{R}^{n}$, when $n<m$. (I call this the "Short/Fat Theorem".)
4. Be able to state a few conditions that are equivalent to: "the matrix $A$ is non-singular."
5. The material on the old exams which is covered on your exam 1:
(a) Exam 1's:

97: $1,2,3,4,5,7,8,9,10$.
98: $1,2,3,4,5,6,7,8,9$.
01: $1,2,3,4,5,6,7$.
02: $1,2,3,4,6,8,10$.
spring $03: 1,2,3,5,7,8,9,10$.
summer 03 : $1,2,3,4,5,6,7,8,9$.
04: $1,2,3,4,5$.
summer 05: all
fall 05: all
summer 06 : $1,2,4,6,7$.
fall 06: all
(b) Exam 2's:

97: 1, 2 .
98: $1,2,4,5,6,10$.
01: $1,2,7,8,9,10$.
02: 1,7 .
spring 03: $1,2,34 \mathrm{a}, 4 \mathrm{~b}, 4 \mathrm{c}, 6$.
summer 03 : $1,2,3,4,5,7,8,9$.
04: $1,2,3,4,6,7$.
summer 05 : $1,2,3,4,6,7$.
fall 05 : $1,7,8$.
summer 06: 9 .
fall 06: 2,8 .
(c) Exam 3's:

01: 4, 10.
02: 6.
summer 03: 1 .
(d) Final Exams:

97: 9 (The matrices $A$ and $b$ are given before problem 6.), 14, 15, 16.
98: 4, 5, 6 .
01: 4, 9b, 9e, 10e, 10f.
02: 3,8 (Solve $A x=b$ and then stop.), 15 .
spring 03: $10,11,16,17,19$.
summer 03: 11, 16, 17abc.
04: 1abc, 4.
summer 05: 1ab.
fall 05: $1 \mathrm{ab}, 6,16$.
summer 06: 2, 3abc.
fall 06: 1, 6a.

