

Problem #2 - Histogram

- Create a histogram of the observations that you created in Problem #1.
- What values occurred the most often?

- In the two dice experiment, how many rolls were equal to 6? With this data, what would you say is the probability of rolling equal to 6?

- In the three dice experiment, how many rolls were less than or equal to 8? With this data, what would you say is the probability of rolling less than or equal to 8?

- Notice that if each observations is given the weight of $\frac{1}{N}$ where N is the total number of rolls, then the probability is equivalent to summing up the weights of the observations that satisfy your condition (like those “equal to 6” or “less than or equal to 8”). Ask what a probability density function is.

Problem #3 - Fair Game

- Let’s make a game of these experiments. With a fellow classmate, choose to be either Player A or Player B. The rule of the game will be that if X is rolled and X is less than or equal to 8, then Player A gets X dollars. If the roll is greater than 8, then Player B gets X dollars.
- Would you like to be Player A or Player B ? Make a quick guess and give some reasoning.

- Use the your data above to figure out how much money Player A and Player B would receive. On average, how much did you and your classmate receive per roll?

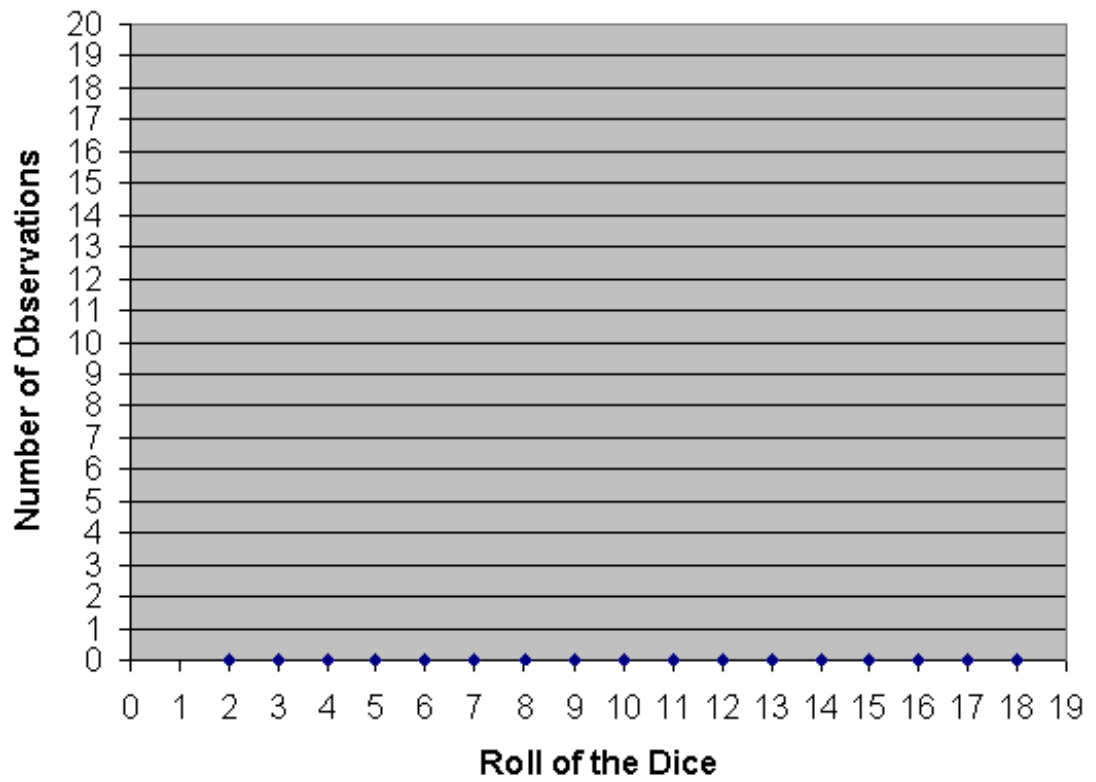
- Compute the following numbers. These are called expectations. Use $P(X)$ to be the probability of rolling an X on a pair of fair dice. $V(X)$ is the value or winnings of rolling an X .

$$A = \sum_{\text{when A wins}} V(X) \cdot P(X)$$

$$B = \sum_{\text{when B wins}} V(X) \cdot P(X)$$

- How close are these numbers to the average winnings per game that you experienced?

Histogram



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