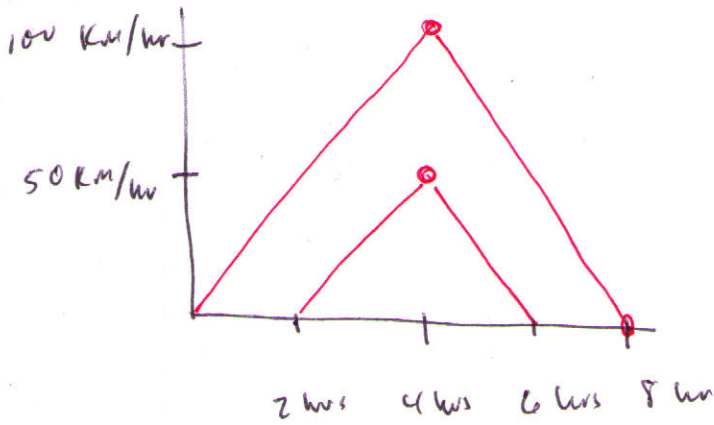
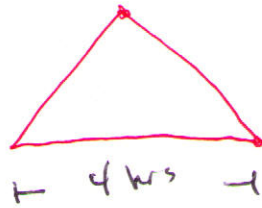


5.



Area  $\approx$  Distance Travelled

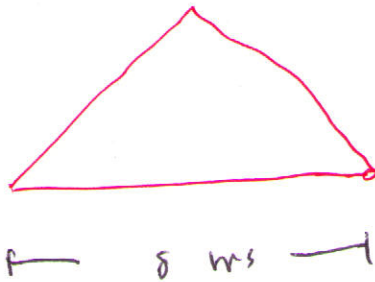
Car B :



T  
50 km/hr  
↓

$$\text{Area} = \frac{1}{2} bh \\ = 100 \text{ km}$$

Car A :

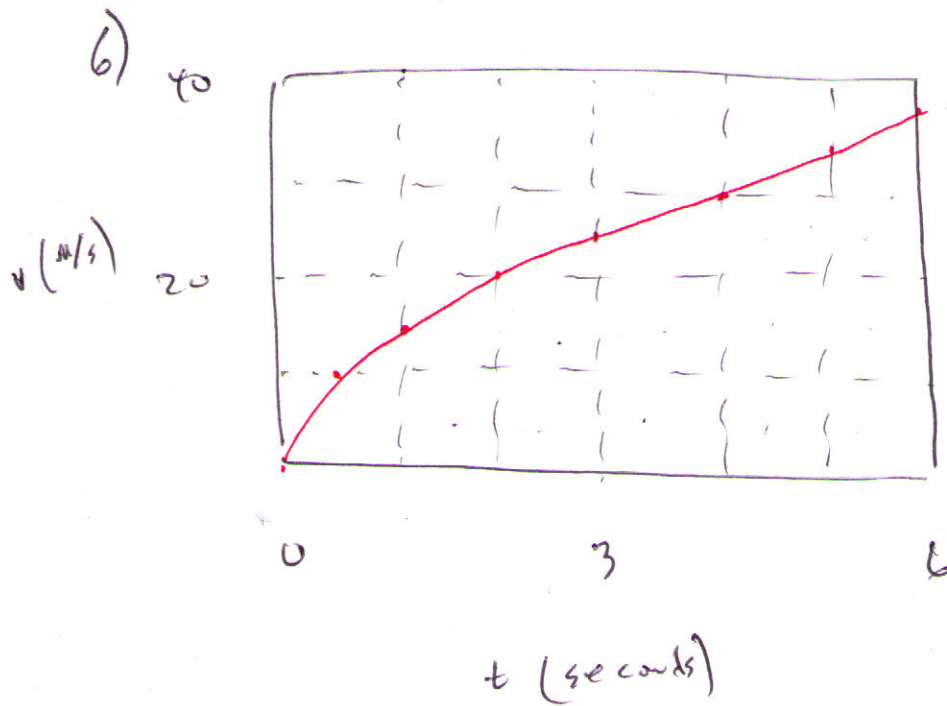


T  
100 km/hr  
↓

$$\text{Area} = \frac{1}{2} bh \\ = 400 \text{ km}$$

Car A travelled 400 km over 8 hrs.

Car B travelled 100 km over 4 hrs.



Each block 10 m/s by 1 second.

Area of each block is 10 meters.

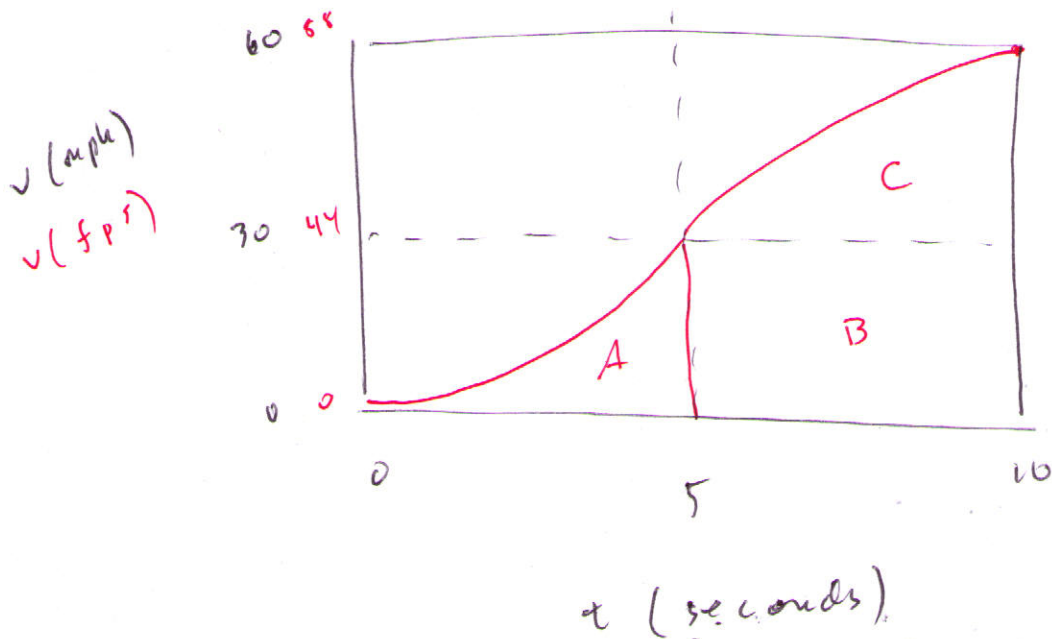
Area under the curve is approximately

$\left\{ \begin{array}{l} 11 \text{ whole blocks} \\ 3.5 \text{ pieces of the block that} \\ \text{are divided by the curve.} \end{array} \right.$

14.5 blocks  $\equiv$  145 meters

Total distance is 145 meters.

7.)



Distance  $\equiv$  Area under Curve

Notice that  $A + C$  forms a complete rectangle.

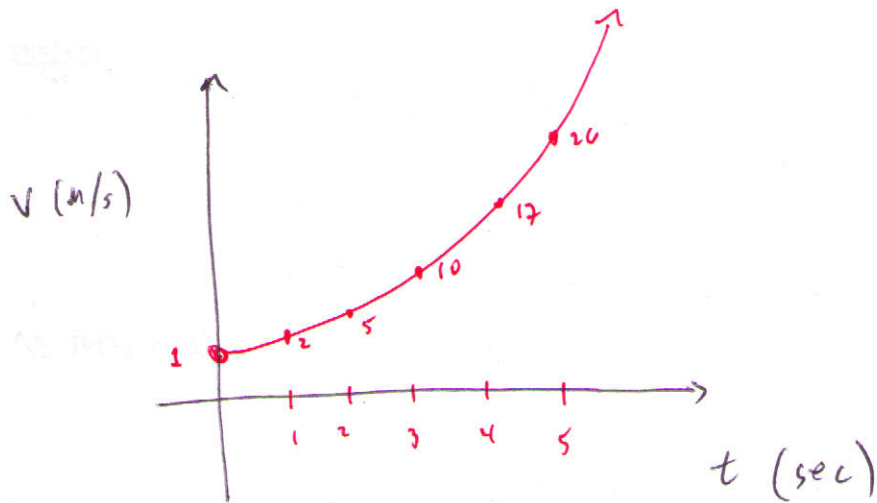
So Area of  $A +$  Area of  $C =$   
 $44 \text{ fps} \cdot 5 \text{ sec} = 220 \text{ feet}$

Area of  $B$  is also 220 feet.

Total Distance is the area of  
 $A, B,$  and  $C$  which is 440 feet.

17)

$$v = t^2 + 1$$



Distance travelled between  $t=0$  and  $t=5$   $\equiv$  Area under the velocity curve between  $t=0$  and  $t=5$

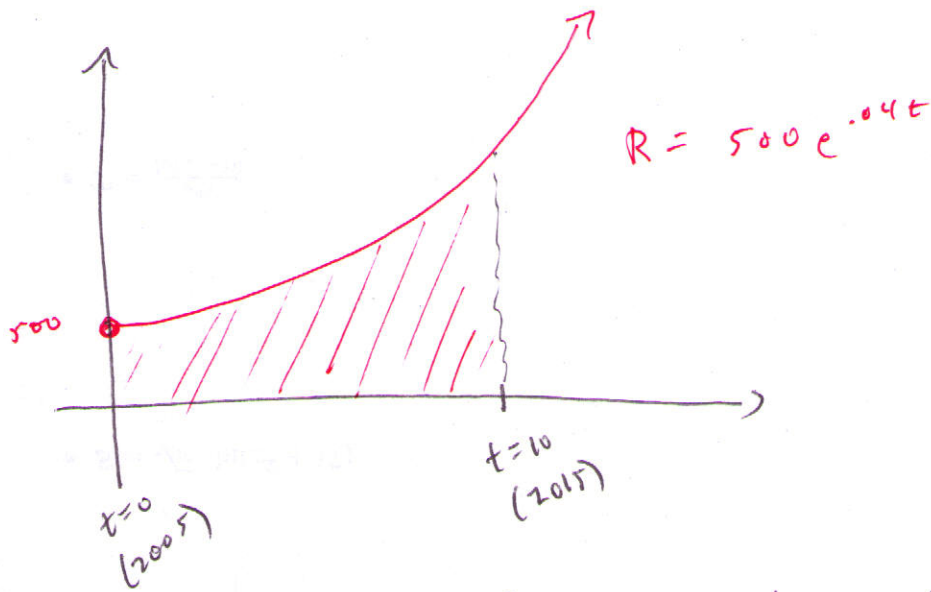
The area can be expressed as

$$\int_0^5 t^2 + 1 \, dt$$

Graph  $v = t^2 + 1$ . Use the integral feature to determine the area under the curve between  $t=0$  and  $t=5$ .

Distance traveled during this time interval will be approximately 46.66 meters.

19.



$R$  is the rate at which your mutual fund is increasing. It is a rate just like a velocity is a rate.

$$\int_0^{10} R(t) dt \equiv \text{Change in } \cancel{\text{the}} \text{ value of the mutual fund.}$$

Area  $\equiv$  Total Change

Using your calculator,

$$\int_0^{10} 500 e^{.04t} dt = \$6147$$

You don't know how much  $\$$  ~~is~~ the mutual fund is worth - just that in 10 years, it has grown  $\$6147$  in value.